

1.) Draw the 2 Special Right Triangles with their angles and corresponding side lengths.

2.) List the 6 Trig functions and the ratios that represent them

3.) Solve the triangle

4.) Find Theta

WU

extra credit if you put HW #4.9.32.33, full answers on the board for our friends

$\sin \theta = \frac{\text{opp}}{\text{hyp}}$ $\csc \theta = \frac{\text{hyp}}{\text{opp}}$
 $\cos \theta = \frac{\text{adj}}{\text{hyp}}$ $\sec \theta = \frac{\text{hyp}}{\text{adj}}$
 $\tan \theta = \frac{\text{opp}}{\text{adj}}$ $\cot \theta = \frac{\text{adj}}{\text{opp}}$

$a^2 + b^2 = c^2$
 $8^2 + 3^2 = c^2$
 $64 + 9 = c^2$
 $73 = c^2$ $c = \sqrt{73}$

$\frac{3}{\sqrt{73}} = \frac{3\sqrt{73}}{73}$
 rationalize denominator
 $\sin \theta = \frac{3\sqrt{73}}{73}$ $\csc \theta = \frac{73}{3\sqrt{73}}$
 $\cos \theta = \frac{8\sqrt{73}}{73}$ $\sec \theta = \frac{73}{8\sqrt{73}}$
 $\tan \theta = \frac{3}{8}$ $\cot \theta = \frac{8}{3}$

$a^2 + 5^2 = 6^2$
 $a^2 + 25 = 36$
 $a^2 = 11$
 $a = \sqrt{11}$

$\sin \theta = \frac{6}{5}$ $\csc \theta = \frac{5}{6}$
 $\cos \theta = \frac{\sqrt{11}}{6}$ $\sec \theta = \frac{6}{\sqrt{11}} = \frac{6\sqrt{11}}{11}$
 $\tan \theta = \frac{6}{\sqrt{11}}$ $\cot \theta = \frac{\sqrt{11}}{6}$

$\cos 32 = \frac{30}{x}$
 $8480 = \frac{30}{x}$
 $x = \frac{30}{.8480}$
 $x = 35.38$

$\tan 32 = \frac{y}{30}$
 $.6289 = \frac{y}{30}$
 $y = 18.75$

$\sin \theta = \frac{66}{85}$
 $\sin^{-1}(\frac{66}{85}) = \theta$
 $\theta = 50.94^\circ$

Solving for angle

Feb 5-8:20 AM

1.) Draw the 2 Special Right Triangles with their angles and corresponding side lengths.

2.) List the 6 Trig functions and the ratios that represent them

3.) Solve the triangle

4.) Find Theta

WU

$a^2 + b^2 = c^2$
 $8^2 + 3^2 = c^2$
 $64 + 9 = c^2$
 $73 = c^2$ $c = \sqrt{73}$

$\frac{3}{\sqrt{73}} = \frac{3\sqrt{73}}{73}$
 rationalize denominator
 $\sin \theta = \frac{3\sqrt{73}}{73}$ $\csc \theta = \frac{73}{3\sqrt{73}}$
 $\cos \theta = \frac{8\sqrt{73}}{73}$ $\sec \theta = \frac{73}{8\sqrt{73}}$
 $\tan \theta = \frac{3}{8}$ $\cot \theta = \frac{8}{3}$

$a^2 + 5^2 = 6^2$
 $a^2 + 25 = 36$
 $a^2 = 11$
 $a = \sqrt{11}$

$\sin \theta = \frac{6}{5}$ $\csc \theta = \frac{5}{6}$
 $\cos \theta = \frac{\sqrt{11}}{6}$ $\sec \theta = \frac{6}{\sqrt{11}} = \frac{6\sqrt{11}}{11}$
 $\tan \theta = \frac{6}{\sqrt{11}}$ $\cot \theta = \frac{\sqrt{11}}{6}$

$\cos 32 = \frac{30}{x}$
 $8480 = \frac{30}{x}$
 $x = \frac{30}{.8480}$
 $x = 35.38$

$\tan 32 = \frac{y}{30}$
 $.6289 = \frac{y}{30}$
 $y = 18.75$

$\sin \theta = \frac{66}{85}$
 $\sin^{-1}(\frac{66}{85}) = \theta$
 $\theta = 50.94^\circ$

Solving for angle

Jan 7-1:25 PM

#33

$\tan 15 = \frac{x}{1500}$
 $.2679 = \frac{x}{1500}$
 $401.9 = x$

total distance $250 + 401.9 = 651.9 \text{ ft}$

Jan 7-1:35 PM

1.) Draw the 2 Special Right Triangles with their angles and corresponding side lengths.

2.) List the 6 Trig functions and the ratios that represent them

3.) Solve the triangle

4.) Find Theta

WU

$a^2 + b^2 = c^2$
 $8^2 + 3^2 = c^2$
 $64 + 9 = c^2$
 $73 = c^2$ $c = \sqrt{73}$

$\frac{3}{\sqrt{73}} = \frac{3\sqrt{73}}{73}$
 rationalize denominator
 $\sin \theta = \frac{3\sqrt{73}}{73}$ $\csc \theta = \frac{73}{3\sqrt{73}}$
 $\cos \theta = \frac{8\sqrt{73}}{73}$ $\sec \theta = \frac{73}{8\sqrt{73}}$
 $\tan \theta = \frac{3}{8}$ $\cot \theta = \frac{8}{3}$

$a^2 + 5^2 = 6^2$
 $a^2 + 25 = 36$
 $a^2 = 11$
 $a = \sqrt{11}$

$\sin \theta = \frac{6}{5}$ $\csc \theta = \frac{5}{6}$
 $\cos \theta = \frac{\sqrt{11}}{6}$ $\sec \theta = \frac{6}{\sqrt{11}} = \frac{6\sqrt{11}}{11}$
 $\tan \theta = \frac{6}{\sqrt{11}}$ $\cot \theta = \frac{\sqrt{11}}{6}$

$\cos 32 = \frac{30}{x}$
 $8480 = \frac{30}{x}$
 $x = \frac{30}{.8480}$
 $x = 35.38$

$\tan 32 = \frac{y}{30}$
 $.6289 = \frac{y}{30}$
 $y = 18.75$

$\sin \theta = \frac{66}{85}$
 $\sin^{-1}(\frac{66}{85}) = \theta$
 $\theta = 50.94^\circ$

Solving for angle

Feb 5-8:20 AM

HW REVIEW & DLT

What questions do you have from HW?

Feb 5-8:25 AM

*** EXTENDED RESPONSE** A passenger in an airplane sees two towns directly to the left of the plane.

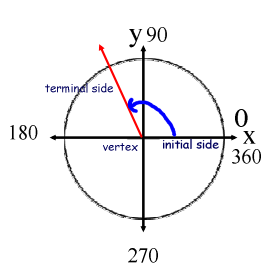
a. What is the distance d from the airplane to the first town?
 b. What is the horizontal distance x from the airplane to the first town?
 c. What is the distance y between the two towns? Explain the process you used to find your answer.

Jan 4-2:42 PM

Look at notes you took from section 13.2
DO YOU HAVE ALL YOU NEED

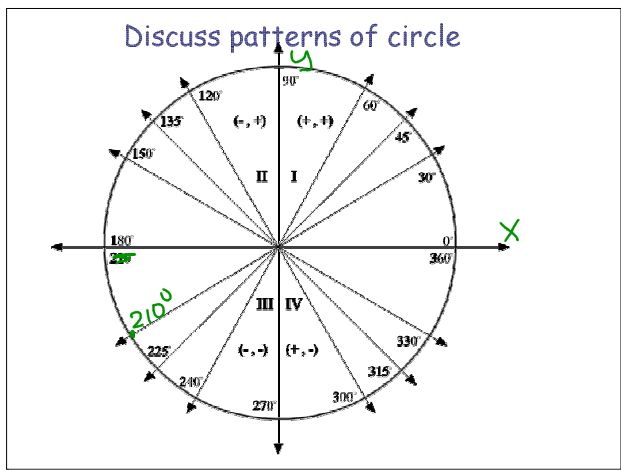
Jan 4-2:43 PM

13.2 General Angles and Radian Measure
counterclockwise!!!!



An angle is in Standard Position if its vertex is at the origin and the initial side is the positive x axis

Mar 26-10:18 AM

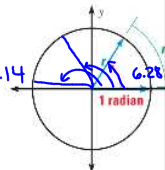


Mar 26-8:18 PM

Radian Measure

RADIAN MEASURE Angles can also be measured in radians. To define a radian, consider a circle with radius r centered at the origin as shown. One radian is the measure of an angle in standard position whose terminal side intercepts an arc of length r .

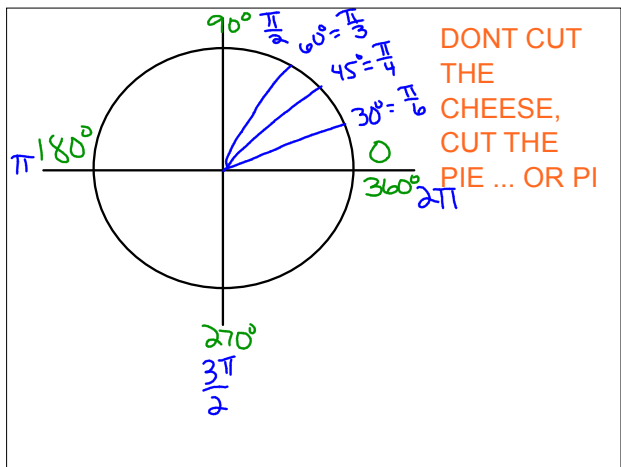
Because the circumference of a circle is $2\pi r$, there are 2π radians in a full circle. Degree measure and radian measure are therefore related by the equation $360^\circ = 2\pi$ radians, or $180^\circ = \pi$ radians.



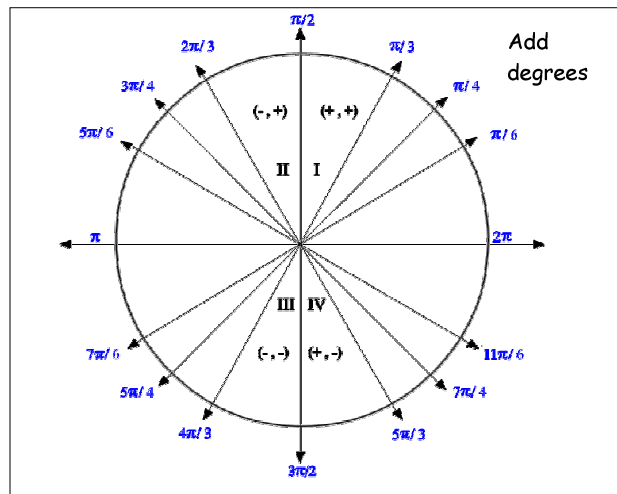
YIKES - CAN YOU SAY CONFUSING...

a radian is an angle created by stretching the length of the radius around the circumference of a circle

Mar 30-2:38 PM



Jan 11-12:27 PM



Mar 26-8:20 PM

CONCEPT SUMMARY *For Your Notebook*

Degree and Radian Measures of Special Angles

The diagram shows equivalent degree and radian measures for special angles from 0° to 360° (0 radians to 2π radians).

You may find it helpful to memorize the equivalent degree and radian measures of special angles in the first quadrant and for $90^\circ = \frac{\pi}{2}$ radians. All other special angles are just multiples of these angles.

SNEAKY - it was in your book all the time

Mar 30-2:38 PM

1st job - draw angles in degrees & radians (17)

Draw an angle with the given measure in standard position.

a) 240° b) 500° c) -50° d) -142°

Apr 6-8:23 AM

Draw an angle with the given measure in standard position.

a) $\frac{2\pi}{3}$ b) $\frac{11\pi}{7}$ c) $-\pi$ d) $\frac{5\pi}{4}$

(15) set our quadrants used denom given

Jan 4-2:47 PM

2nd job Find coterminal angles

Coterminal angles are angles that have the same terminal sides (end in the same place). You can find a coterminal angle by adding or subtracting multiples of 360 or 2π .

ex. Find 1 positive and 1 negative coterminal angles to:

1. -45° 2. 215°

3. 215° 4. 333°

What if it said find "2" angles?

Handwritten calculations: $-45 + 360 = 315^\circ$, $-45 - 360 = -405^\circ$, $-410 + 360 = -50$, $-50 + 360 = 310$, $-410 + 720 = 310$.

Jan 4-2:46 PM

2nd job continued

-330° -435°

640° -442°

Jan 4-3:10 PM

2nd job Continued

Handwritten calculations for finding coterminal angles:

5. $\frac{3\pi}{4} + \frac{8\pi}{4} = \frac{11\pi}{4}$

$\frac{3\pi}{4} - \frac{8\pi}{4} = -\frac{5\pi}{4}$

6. $\frac{11\pi}{6} + \frac{12\pi}{6} = \frac{23\pi}{6}$

$\frac{11\pi}{6} - \frac{12\pi}{6} = -\frac{\pi}{6}$

7. $\frac{3\pi}{2} + \frac{4\pi}{2} = \frac{7\pi}{2}$

$\frac{3\pi}{2} - \frac{4\pi}{2} = -\frac{\pi}{2}$

Sidebar: need common denominators to add/subtract fractions

Mar 30-2:43 PM

2nd job Continued

8. $\frac{11\pi}{3}$ 9. $-\frac{35\pi}{18}$

Jan 4-3:08 PM

2nd job Continued

10. $\frac{15\pi}{4}$ 11. $-\frac{19\pi}{12}$

Jan 4-11:29 AM

3rd job convert between degrees and radians..

KEY CONCEPT *For Your Notebook*

Converting Between Degrees and Radians ALWAYS REDUCE FRACTIONS

Degrees to radians Multiply degree measure by $\frac{\pi}{180}$	Radians to degrees Multiply radian measure by $\frac{180}{\pi}$
--	--

Mar 30-2:47 PM

3rd job continued Think no calculator...

Convert each degree measure into radians and each radian measure into degrees.

1) $325^\circ \cdot \frac{\pi}{180} = \frac{325\pi}{180} = \frac{65\pi}{36}$ 2) $60^\circ \cdot \frac{\pi}{180} = \frac{60\pi}{180} = \frac{\pi}{3}$

3) $-\frac{4\pi}{3} \cdot \frac{180}{\pi} = -\frac{4 \cdot \pi \cdot 180}{3\pi} = -240^\circ$ 4) $\frac{23\pi}{12} \cdot \frac{180}{\pi} = 345^\circ$

5) 570° 6) -315°

Jan 4-2:54 PM

4th job Use your calculator...

1. $\tan\left(\frac{\pi}{7}\right) = .4816$ Δ mode
radian

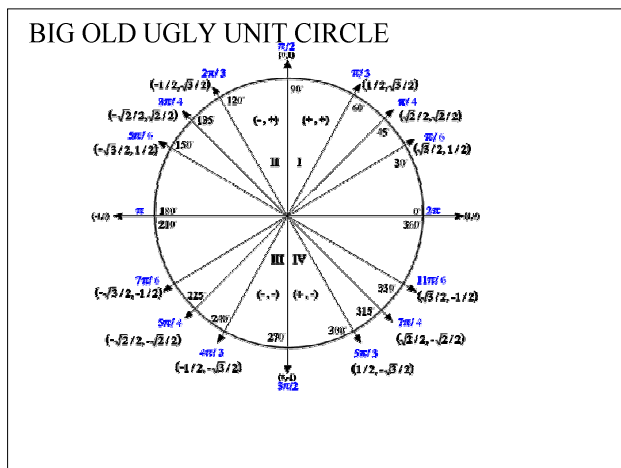
2. $\cot \frac{\pi}{7} = \frac{1}{\tan\left(\frac{\pi}{7}\right)} = 2.0765$

sin csc
 cos sec
 tan cot

Jan 4-11:38 AM

(x, y) = cosine, sine

Jan 4-3:03 PM



Mar 30-3:12 PM